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EVALUATING THE USE OF CAMERA TRAPS TO MONITOR POPULATIONS OF UNGULATE PREY IN THE RUSSIAN FAR EAST

By

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B.A., Middlebury College, Middlebury, Vermont, 2018

Thesis

presented in partial fulfillment of the requirements for the degree of

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in Wildlife Biology

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ABSTRACT

Efforts to recover endangered carnivore populations are often limited by insufficient populations of prey. When recovering prey populations, estimates of population density are invaluable metrics to monitor recovery efforts. In Russia, wildlife managers use the Formozov-Malyushev-Pereleshin (FMP) snow tracking method to estimate densities of ungulate prey of the Amur tiger (*Panthera tigris*). Yet, increasing variability in snow conditions and other challenges have limited its reliability. Camera traps offer a promising alternative approach since managers already use cameras to monitor tigers. However, the assumptions and study design necessary to implement capture-recapture models for tigers are different from those needed to implement models for unmarked populations of prey. In Chapter 1, I estimated densities of wild boar (*Sus scrofa*), red deer (*Cervus canadensis* ssp. *xanthopygus*), roe deer (*Capreolus pygargus*), and sika deer (*Cervus nippon*) using Random Encounter models (REM), Space-To-Event models (STE), and Time-To-Event models (TTE), then compared these with FMP estimates within Sikhote-Alin Biosphere Zapovednik. Estimates from the STE and FMP were the most similar, though there were challenges implementing the STE to data from motion-trigger cameras. All models detected a >90% decline in wild boar density due to African Swine Fever. Simulations indicated that greater survey effort for all camera-based methods would be required to achieve a coefficient of variation of 20% (an objective set for this study area in 2006). This is likely cost-prohibitive for many conservation programs due to the high costs of randomly deploying many cameras. To examine the influence of study design on detections of ungulate prey, in Chapter 2 I compared relative abundance indices (RAIs) of prey using: (1) cameras placed on roads to monitor tigers; (2) cameras placed using systematic random sampling; and (3) “off-road” cameras placed 150 meters away from road cameras. Both road and off-road RAIs were greater than random RAIs, and our attempt to approximate representative sampling with off-road cameras ultimately did not work. These results highlight the importance of random sampling to meet the assumptions of unmarked estimators. Detection data of prey species from cameras placed for tiger monitoring should not be used to estimate true abundance of prey species using these models.
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Because this thesis was only possible thanks to the many collaborations and shared efforts among many people, I will use “we” instead of “I” in the rest of this thesis.
CHAPTER 1: CAMERAS OR CAMUS*? COMPARING CAMERA TRAPS AND SNOW TRACK SURVEYS TO ESTIMATE DENSITIES OF LARGE UNGULATE PREY

*Camus (Russian: камус) refers to the skins Russian hunters attach to the bottoms of skis for traction in the snow.

1 | INTRODUCTION

For centuries, Large carnivore populations have suffered from the intensive and widespread anthropogenic threats of poaching, habitat loss and fragmentation, and prey depletion (Ripple et al. 2014). The loss of primary prey species through overhunting and poaching can decrease carnivore survival and recruitment (Fuller and Sievert 2001, Miquelle et al. 2010), increase human-carnivore conflicts (Graham et al. 2005, Miquelle et al. 2009, Lubis et al. 2020), and limit conservation efforts to restore carnivore populations (Aryal et al. 2016, Qi et al. 2021).

Conservationists often cite prey recovery as an essential step towards halting the decline of predator populations (Wolf and Ripple 2016, Duangchantrasiri et al. 2016). Estimates of prey density are invaluable to these efforts, as they allow managers to document that recovery (Harihar et al. 2020), as well as to better understand the relationships between carnivores and their prey (Miquelle et al. 2010, Vinks et al. 2021).

The sustainable management of large herbivore prey species is essential for the recovery and persistence of wild tigers (Panthera tigris) across their range (Walston et al. 2010, Wikramanayake et al. 2011). Along with poaching of tigers and habitat loss, prey depletion has been identified as a major contributing factor to the collapse of tiger populations across Asia (Tilson et al. 1997, Dinerstein et al. 2007, Piper et al. 2008, Wolf and Ripple 2017). During the 2010 Global Tiger Summit, all 13 tiger range countries committed to recovering, sustainably managing, and monitoring prey populations to support tigers (Global Tiger Initiative 2010). But prey monitoring has proven difficult to implement. While guidelines exist that apply to some ecosystems where visibility of prey is high (Karanth and Nichols 2002), a decade after signing the
Global Tiger Initiative, most tiger range countries still do not have established systems for monitoring prey. There remains an urgent need to develop reliable and practical prey monitoring programs across tiger range.

In the Russian Far East, the importance of monitoring prey for Amur tiger (*P.t. altaica*) conservation has over twenty years of scientific support. Several studies have demonstrated how tigers select for areas of greater relative prey densities more than any landscape feature or vegetation (Miquelle et al. 1999, Hebblewhite and Mitchell 2013, Hebblewhite et al. 2014). Moreover, across their range, tigers appear to have a numerical response to increases in preferred prey densities (Karanth et al. 2004, Miquelle et al. 2010). In Russia, tigers occur at their lowest densities and low prey biomass is a major limiting resource (Miquelle et al. 2010). Estimates of prey densities will therefore help managers assess and maintain sufficient prey abundance to sustain tigers (Karanth and Nichols 2002, Hebblewhite et al. 2014, Jomburom et al. 2020).

Estimating the density of large herbivore prey has proven challenging across ecosystems and management contexts. Individuals of most large herbivores cannot be uniquely identified, precluding the application of capture-recapture models as used to monitor tiger densities (Karanth 1995, Karanth and Nichols 2002, Efford et al. 2009, Royle et al. 2009). In places such as India, where animal visibility is high, prey densities are also high, and animals tend not to flee from humans, distance sampling offers a reliable approach to precisely estimate herbivore densities (Karanth and Nichols 2002, Harihar et al. 2014, Jhala et al. 2020, Karanth et al. 2020). However, many ecosystems do not share these attributes. Limited visibility due to topography or vegetation and low densities of hunted, wary prey require managers to survey using other methods. In Russia, wildlife managers use a snow-tracking method called the Formozov-Malyushev-Pereleshin (FMP) method to track prey densities (Formozov 1932, Chelintsev 1995, Lomanov...
The FMP method provides valuable long-term datasets across Russia and has been recently validated in the Western literature (Stephens et al. 2006b, Keeping et al. 2018, Ahlswede et al. 2019). However, the FMP method requires considerable survey effort, is prone to bias caused by convenience sampling, and when applied using snow track surveys, depends on consistent, recurring snowfall. The dependence on snowfall has become a major concern in the Russian Far East with climate change leading to warming temperatures that make tracking conditions more challenging (Stephens et al. 2006a, IPCC 2022). These drawbacks compromise the FMP method’s dependability as a future survey method in the Russian Far East. This has important consequences considering the number of publications that use prey density estimates from the FMP to inform Amur tiger conservation (Miquelle et al. 1999, 2005, 2010, Petrunenko et al. 2016, Jiayin et al. 2018, Qi et al. 2021). Russian wildlife managers, like many large carnivore and ungulate managers world-wide, need alternative methods to monitor herbivore prey species.

Camera traps (‘cameras’ hereafter) offer a promising solution to this problem since many researchers are already using cameras to monitor large carnivores such as tigers. For example, Kafley et al. (2019) recently applied N-mixture models (Royle et al. 2004) to estimate tiger prey abundance in Chitwan National Park, Nepal, using “by-catch” photos of prey obtained while surveying tigers. Xiao et al. (2018) similarly used cameras placed for tiger monitoring to estimate prey abundance with N-mixture models on the Hunchun Nature Reserve in northeast China. Tempa (2017) also applied N-mixture models to evaluate the effects of relative prey abundance on tiger occupancy across Bhutan. While the estimates of relative prey abundance and inclusion of spatial covariates in these studies provided inference about variation in relative prey densities, they measure relative or local abundance (i.e., the number of individuals occurring in the vicinity
of a particular camera trap) rather than densities of prey at the landscape scale. $N$-mixture models also make challenging assumptions about detections and animal movements, particularly for social species such as many ungulates. To meet these assumptions, cameras must be placed according to the home range size of the study species, which is a problem for multi-species monitoring with the same cameras. These requirements ultimately limit $N$-mixture models’ ability to track trends in prey abundance (Kery and Royle 2015).

Several alternative models have been proposed in the last 15 years that estimate densities of unmarked populations by extrapolating density within the collective sampled areas in front of cameras (“viewsheds”) (Gilbert et al. 2020). These include the Random Encounter Model (REM) (Rowcliffe et al. 2008), the Random Encounter and Staying Time model (REST) (Nakashima et al. 2018), Camera Trap Distance Sampling (CT-DS) (Howe et al. 2017), and the Space-To-Event and Time-To-Event models (STE and TTE) (Moeller et al. 2018). These models (collectively, “viewshed density estimators”) have been used to estimate densities of both carnivores (Cusack et al. 2015, Doran-myers et al. 2021, Loonam et al. 2021, Ausband et al. 2022) and herbivore prey species (Rowcliffe et al. 2008, Moeller et al. 2018, Morelle et al. 2020, Palencia et al. 2021) across diverse ecosystems. While the number of tests and validations of these models are growing, they are still relatively new and make some common, challenging assumptions about sampling designs and statistical analyses (Table 1-1) that may limit their feasibility for monitoring tiger prey. For instance, viewshed density estimators assume that (1) animals move independent of the camera viewsheds, and (2) that these viewsheds are representative of the physical characteristics of the study area that likely affect both animal movement and density. This requires researchers to implement some form of randomized or systematic sampling design, which translates to much greater effort than setting up cameras on roads and trails for tiger
density monitoring (see Chapter 2 of this thesis). Most of the published estimates of these models also had poor precision, and the large number of cameras needed to achieve desired precision may be prohibitive (Morin et al. 2022). Moreover, none of these models have been published as a reliable and practical means to monitor densities of prey for tiger conservation.

To address this question of whether cameras can be used to monitor prey of tigers, we deployed cameras under a systematic random sampling design over two winters (2019-20 and 2020-21) to estimate densities of the four main prey species of the Amur tiger in the Russian Far East (Miquelle et al. 1996, 2010, Kerley et al. 2015): wild boar (*Sus scrofa ussuricus*), red deer (*Cervus canadensis ssp. xanthopygus*), roe deer (*Capreolus pygargus*), and sika deer (*Cervus nippon*). First, we conducted winter track surveys using both conventional and representative survey designs to estimate prey densities using the FMP method. We then compared these to estimates from three viewshed density estimators: the REM, STE, and TTE models. Finally, we followed Riley et al. (2017) and evaluated the statistical, logistical, and cost considerations of each model. As an important part of this assessment, we simulated the number of cameras needed to achieve a 20% coefficient of variation (CV) for different levels of prey densities in our study area (a goal set for this study area by Stephens et al. (2006b)). This allowed us to thoroughly evaluate each estimator’s potential to monitor prey in the Russian Far East.

2 | MATERIALS AND METHODS

2.1 Study Area

This study took place in the 4,016 km² Sikhote-Alin Biosphere Zapovednik (“Zapovednik”), Primorskyi Krai, Russia. Zapovedniks are a unique type of nature preserve in which entry is restricted to only Zapovednik staff and permitted researchers. The Sikhote-Alin Biosphere Zapovednik is named after the Sikhote-Alin Mountains, a low-elevation range running northeast
through the preserve. Summers in the Zapovednik are hot and wet, while winters are relatively cold and dry. The reserve is mostly forested, with coastal Mongolian oak (*Quercus mongolica*) and mixed hardwood forests transitioning to mixed forests of Korean pine (*Pinus koreansis*) further inland. These forest transitions result in important spatial variation in mast crop availability for wildlife, as acorns and pine nuts are dominant sources of food for much of the community (Heptner et al. 1988). Our study took place in a 527 km$^2$ area within the Zapovednik and south of the Dalnyi range, which separates the Serebryanka river basin to the north from the Golubichnoe and Djigitovka drainages to the south (Figure 1-1).

The ungulate community in our study area is made up of six species: the four main prey species mentioned above, along with the smaller and rarer goral (*Naemorhedus caudatus*) and musk deer (*Moschus moschiferus*). Sika deer are only common along the coast of the Zapovednik, though their range is expanding and they seem to exclude red deer (Stephens et al. 2006a). Amur tigers are the dominant predator in the community, often excluding wolves (*Canis lupus*) from their territory (Miquelle et al. 2005). Brown bears (*Ursus arctos*) and Himalayan black bears (*Ursus thibetanus*) forage on the same mast crops as ungulates, and tigers will sometimes prey on these bear species as well (Miquelle et al. 1996).

### 2.2 Formozov-Malyushev-Pereleshin (FMP) density estimation

The FMP method has been the standard for wildlife surveys throughout Russia for decades, including our study area (Formozov 1932, Chelintsev 1995, Lomanov 2000, Stephens et al. 2006a). The FMP method estimates density by relating the encounter rate of fresh (<24h old) tracks observed along walked/skied transects with independent estimates of the study species’ daily travel distance. In the FMP formula, the density $D$ of a population is estimated by:
\[ D = \frac{\pi}{2} \frac{x}{S \bar{M}} \] (Equation 1)

Where \( x \) is the total number of tracks encountered, \( S \) is the total length of all transects, and \( \bar{M} \) is the study species’ daily travel distance. The term \( \frac{\pi}{2} \) relates the species’ daily travel distance to the probability of encountering a track along the surveyed transects, integrated over all possible angles of intersection between animal’s movement paths and the transects (Stephens et al. 2006b).

The FMP method assumes: (1) geographic and demographic closure; (2) the age of species’ tracks is identified without error; (3) animals move independent of transects; and (4) transects are representative of the study area (Table 1-1). Historically, the Zapovednik has conducted surveys only along roads and trails due to limitations of staff and resources. However, this is a violation of assumptions (3) and (4) above (Stephens et al. 2006a). We therefore estimated density of prey species first with the conventional survey routes along roads and trails (“conventional surveys”), and second, with survey routes representative of the study area and independent of animal movement (“random surveys”). These random surveys were not laid out in a truly random fashion but were designed to be distributed across the entire study area, accessible, and representative of the slopes, elevations, and aspects of the study area. Random surveys were conducted as close in time to the conventional surveys as possible (Table 1-2).

For each survey, teams of two surveyors walked, skied, or snowmobiled transects and recorded the number of fresh tracks of wild boar, red deer, roe deer, and sika deer. All tracks (including re-crossings of the same individual) were counted (Keeping and Pelletier 2014). To inform the daily travel distance parameter, we used estimates and associated error from Stephens et al. (2006a) for the three deer species. For wild boar, we estimated daily travel distance and variance by analyzing fine-scale (15-minute fixes) GPS relocation data from collared wild boar in the same study area (Appendix 1B). We used nonparametric bootstrapping (Efron and Tibshirani
1993) to estimate 95% confidence intervals of each density estimate. First, encounter rates \((x/S)\) were sampled with replacement 5,000 times from the data, along with a daily travel distance \((M)\) drawn from values reported by Stephens et al. (2006a) and our wild boar estimates. These parameter values were used for 5,000 estimates of density from which final 95% confidence intervals and coefficients of variation \((CVs)\) were generated (Efron and Tibshirani 1993, Stephens et al. 2006b).

2.3 Random Encounter Model (REM)

The REM was first proposed by Rowcliffe et al. (2008) to estimate the density of wildlife populations using cameras for species whose individuals cannot be uniquely identified. The REM was derived from both ideal gas theory (Hutchinson and Waser 2007) to describe animal movements and from the FMP formula (Stephens et al. 2006b) to relate animal movement to the probability of being detected by cameras. Rowcliffe et al. (2008) derived the following equation to estimate density \(D\):

\[
D = \frac{y}{t} \cdot \frac{\pi}{vr(2 + \theta)} \quad \text{(Equation 2)}
\]

Where \(y\) is the number of independent detections of the individuals, \(v\) is the average daily travel distance of the animal, \(t\) is the total number of days that cameras were deployed, and \(r\) and \(\theta\) are the average radius and angle of the sampled area in front of the cameras. The REM uses the sampled area in front of cameras both as a component of survey effort, as well as to relate the study species’ speed to the probability of being detected within a camera’s sampled area. If surveys are conducted on a line and theta \((\theta)\) is therefore zero, and if the radius of the camera \((r)\) is replaced by the total length of all transects \((S\) in Equation 1\), then Equation 2 matches exactly the FMP formula (Rowcliffe et al. 2008). The assumptions of the REM are similar to those of the
FMP: (1) geographic and demographic closure; (2) the ideal gas model accurately describes the movement of the study species and results in a Poisson distribution of animals across the study area (Hutchinson and Waser 2007); (3) detections $y$ of animals are independent; (4) animals move independently of camera traps; and (5) cameras are representative of the study frame (Table 1-1).

We considered detections of individuals of the same species 30-minutes apart to be independent. Speed estimates were derived as for the FMP. We used 5,000 iterations of non-parametric bootstrapping of both the encounter rate $\lambda_i$ of each camera $i$, and the daily travel distance $v$ to generate a bootstrapped distribution of density estimates. This distribution gave us point estimates of density, 95% confidence intervals, and coefficients of variation.

2.4 Space-To-Event (STE) Model

Rather than using the number of independent detections of animals as a parameter in the estimator, the Space-To-Event (STE) model makes use of the relationship between the exponential and Poisson distributions to estimate their shared rate parameter, lambda ($\lambda$), which is the average number of animals per unit area. If animals are assumed to be Poisson-distributed across the study area, then the amount of sampled area, $S$, until a detection will be exponentially distributed (Moeller et al. 2018):

$$S \sim \text{Exp}(\lambda) \quad \text{(Equation 3)}$$

The sampled areas in front of the cameras are selected in random order until a detection (i.e., “Space-To-Event”) at regular intervals of time (“occasions”). With many occasions, these observed spaces-to-event form an exponential distribution from which lambda and associated variance are estimated by maximum likelihood estimation. If there are no animal detections at any camera during an occasion, then that occasion is right-censored. So long as these measurements of space-to-event are instantaneous in time, the STE model estimates density independent of
animal movement rate. The STE model also does not require counts or independent estimates of group size given the time-to-event framework of the estimator (Moeller et al. 2018, Moeller and Lukacs 2021). The STE model assumes: (1) geographic and demographic closure; (2) detections of animals at occasions are independent; (3) animals are Poisson-distributed across the cameras’ sampled areas; (4) animals move independently of camera traps; and (5) cameras are representative of the study area.

The STE was initially designed to estimate density using time-lapse photography (Moeller et al. 2018). However, because of our expected low densities of prey, our camera data was collected using motion-trigger photography, which meant there were times when an animal was present in front of a camera, but not detected. We therefore estimated the average number of seconds between images where the animal was most likely to still be in front of the camera (following Becker et al. 2021), then used this as our sampling window. If this still resulted in zero detections across the spaces-to-event, we then increased the window to 60 seconds (Table 1-3). We used 15-minute occasions to balance precision and the assumption of independence of each measured space-to-event. The approach we used to determine the sampling window violates the assumption of instantaneous sampling (Moeller et al. 2018), but was necessary to obtain at least one detection used in the measured spaces-to-event to estimate density. To better understand the consequences of increasing the sampling window length, we next estimated densities with increasing sampling window lengths (1-60 seconds) and occasion lengths (1.5, 5, 10, and 15 minutes). Variances in the density estimates were produced using the delta method, from which we obtained 95% confidence intervals and coefficients of variation.

2.5 Time-To-Event (TTE) Model
The concept of the TTE model is like the STE model, relying on the same Poisson-exponential relationship to estimate lambda. Instead of instantaneously sampling across all cameras in the study area on each occasion, the TTE model samples space at each individual camera during shorter, regular intervals of time (“periods”) within each occasion. If the length of these periods is only long enough for animals to cross the viewshed of the camera, then the number of periods (i.e., the amount of sampled space at one camera across time) until a detection will be exponentially distributed (Moeller et al. 2018):

\[ T \sim \text{Exp}(\lambda) \quad \text{(Equation 4)} \]

Lambda, the average number of animals in a camera’s sampled area, is estimated with the exponential likelihood from the observed times-to-event of the species of interest at each camera. The TTE model makes the same assumptions as the STE model: (1) geographic and demographic closure; (2) detections of animals in each occasion are independent; (3) animals are Poisson-distributed across the cameras’ viewsheds; (4) animals move independently of camera traps; (5) cameras are representative of the study area. Unlike the STE model, the TTE requires estimates of animal movement rate to determine the period length.

2.6 Camera trap study design

The REM, STE and TTE models all share the assumptions that animals move independently of cameras and that cameras are representative of the study area. To best meet these assumptions, we used a systematic random sampling design for camera locations (Figure 1-1). First, a rectangular 3.5 × 3.5 km grid was drawn over our study area. This cell size is roughly the average area of a female red deer’s home range (Dou et al. 2019). We randomly generated one camera location in each cell, then excluded cameras that were not within the bounds of our study area. This allowed us to objectively include or exclude cameras in cells that were only partially included in the study.
area. Different locations were generated for the 2019-20 and 2020-21 winter seasons. Because of the remoteness of much of the western part of the area, a few cameras’ locations were adjusted to be more easily accessed, while maintaining the random location’s forest type, elevation, and aspect.

Cameras were deployed as close to the randomly generated coordinate as possible, while also selecting camera sites that would have minimal obstructions (e.g., dense shrubs, cliffs, dense trees) within the cameras’ viewsheds. Because of resource constraints, whenever cameras used for monitoring tigers by the Zapovednik were inside a grid cell, we placed a camera roughly 150 m away from that tiger camera and considered that camera as the random camera for that cell (see Chapter 2). Cameras were placed 1 – 1.5 m above the ground, facing north to minimize glare from the sun, and were active 24 hours per day. Whenever the camera site was on a slope, the camera was positioned such that its horizontal field of view was in-line with the slope to minimize reductions in detection area (Moeller et al. 2018; Appendix 1A, Figure A3). Camera settings were configured to take bursts of three photos at each capture with no delay to best approximate continuous sampling. No baits or lures were used.

All camera density estimators require measurements of the camera viewshed to extrapolate detections to space. In this study, we used two different measurement techniques to measure camera sampled area (Appendix 1A). For winter 2019-20, we performed extensive walk tests to determine detection distance and angle of each camera. In winter 2020-21, we measured the viewable area in front of each camera, constrained by the maximum detection distance.

2.7 Methods comparison

To fully assess the potential of the above estimators for monitoring tiger prey, we developed a ranking system following Riley et al. (2017) based on i) statistical, ii) logistical, and iii) cost
categories. For each of these three categories, we developed criteria to compare either each estimator or each class of estimator. Each criterion was developed to score estimators relative to one another, with 1 being the best score and 4 being the worst. A brief description of each criterion is provided in Table 1-3, and the details of how we scored each estimator for each criterion are provided in Appendix 1C.

2.8 Data processing and analysis

Estimates of density were performed using the R programming language in R Studio (R Core Team 2022). After we classified camera trap images, we converted them to detection data in R using the camtrapR package (Neidballa et al. 2016). To determine our study period, we chose a 60-day window when detections of each prey species were most consistent over time, and thus best met the assumptions of the viewshed density estimators. We adapted previously developed R code for REM and FMP density estimates. For STE and TTE estimates, we used the spaceNtime package (Moeller and Lukacs 2021).

3 | RESULTS

3.1 Surveys

We conducted 103 km of conventional winter track surveys in winter 2019-20 and 117 km of surveys during the winter 2020-21. We conducted 64 km of random track surveys in winter 2019-20 (Figure 1-1). However, because of the COVID-19 pandemic, we were unable to conduct random surveys in winter 2020-21. Thus, the comparison of conventional and random survey routes was only possible during winter 2019-20.

We deployed 50 camera traps in winter 2019-20 and 57 cameras in winter 2020-21. Five cameras malfunctioned in winter 2019-20, and seven malfunctioned in winter 2020-21, resulting
in data from 45 cameras (2,743 trap nights across 60 days, February 01, 2020 to April 01, 2020) and 50 cameras (3,098 trap nights across 60 days: December 10, 2020 to February 10, 2021), respectfully (Table 1-2; Figure 1-1). We used a variety of camera brands and models in winter 2019-20, but only two models during winter 2020-21 (Table 1-2).

3.2 Prey density estimates

We developed a total of 36 estimates of density across species, years, and methods (Figure 1-2, Table 1-4). Across all estimators, STE and FMP estimates from random surveys were the most similar during 2019-20 (Figure 1-2). Among viewshed density estimators, the STE and REM were more similar than the TTE. Conventional snow track surveys estimated higher densities than the random surveys in 2019-20, but to varying degrees for each species.

Precision varied among species and estimators (Figure 1-2; Table 1-4). The TTE was the most precise for all species and across seasons (average coefficient of variation 21%). The STE estimated relatively low coefficients of variation (average 29%) for high-density species such as wild boar in 2019-20 but had the largest values for low-density species like roe deer and wild boar in 2020-21 (average CV of 99%). The conventional snow track surveys estimated slightly better average precision than the random surveys (average coefficient of variation 39% vs. 47% in winter 2019-20), though wild boar and sika deer estimates were considerably more precise for random surveys (Figure 1-2).

3.3 Methods comparison

In our assessment of the statistical, logistical, and cost constraints of each estimator, FMP surveys consistently scored better than the viewshed density estimators (Table 1-5). We only included random FMP surveys in the comparison because of the bias we found in conventional surveys
(Figure 1-2). The FMP scored well because it was a simple model to implement and did not require any specialty equipment (i.e., cameras). The FMP’s weakest score was in logistics, as planning for FMP surveys was dependent on appropriate snow and weather conditions.

Among camera-based estimators, the STE and TTE scored identically. The STE scores were reduced because it did not require independent estimates of movement, which can be costly to derive. While the TTE had more sources of bias and required estimates of animal movement, it was considerably more precise than the other estimators. This meant that less cameras were necessary to achieve the desired 20% coefficient of variation, which reduced start-up costs and time spent processing and analyzing data. Even so, start-up costs to achieve 20% CV for medium-density populations (0.7 km$^2$) were high for all camera estimators, with $16,920 being the cheapest cost for the TTE. The STE, which scored better in other categories, would require $27,020 to purchase 120 cameras, memory cards, and sufficient batteries (Table 1-5).

4 | DISCUSSION

Prey depletion remains a pressing global threat faced by carnivores (Wolf and Ripple 2016). As conservationists work to recover prey populations, estimates of prey densities are an invaluable metric to assess the success of conservation actions (Williams et al. 2002, Nichols and Williams 2006, Karanth et al. 2017). To test whether camera traps offer a viable tool to monitor densities of ungulate prey in the Russian Far East, we applied the REM, STE, and TTE viewshed density estimators and compared them with independent estimates from the FMP snow tracking method. Estimates from the STE and FMP estimates from random surveys provided consistently similar results across species during the 2019-20 winter (Figure 1-3). The STE was also consistent across years for all species except for wild boar, as expected (Figure 1-3; discussed below). Other authors have found support for the STE for other species such as large herbivores (Moeller et al.
density estimators, the STE also scored well compared to other camera-based estimators according to our rubric (Table 1-5), largely because it does not require an estimate of animal movement (Appendix 1C). These results provide the most support for the STE model.

Despite the consistency between the STE and FMP, there are challenges when applying the STE to motion-trigger data. STE estimates are sensitive to the chosen sampling window length (Figure 1-4; Loonam et al. 2021a), and it remains unclear how best to choose a specific sampling window length when analyzing motion-trigger data. Motion-trigger cameras do not perfectly detect all animals that pass through their detection zone at every second, as we saw in our own data. This translates to non-continuous sampling of the collective camera viewsheds, and therefore occasions when there really is an animal within a viewshed when estimating space-to-event, but no image of that animal at that exact second. When we used a one-second sampling window, density estimates were very low or simply not estimable because there were no detections (Figure 1-4). This was a result of both the low density of that population and the negative bias caused by non-continuous sampling. Increasing the sampling window eventually provided a detection with which to measure space-to-event. Both Loonam et al. (2021a) and Ausband et al. (2022) also increased their sampling windows beyond one second, but it is unclear why they chose their respective sampling window lengths. When we used the average number of seconds between frames of the same capture sequence as our sampling window, following Becker et al. (2022)’s technique, we obtained at least one detection for only three of our eight STE estimates (Table 1-3). We then used a 60-second sampling window and obtained estimates, but this decision was arbitrary and violated the assumption of instantaneous sampling (Moeller et al. 2018). This sampling window and non-continuous sampling issue suggests three conclusions
about the STE. First, if possible, managers should use time-lapse photography when applying the
STE to avoid the issues caused by imperfect detection (Moeller and Lukacs 2021). This will only
be possible if the cameras have time-lapse capabilities, if the study species is at a sufficiently high
density, and/or if the managers have enough cameras to obtain at least one detection. Second, the
STE may only be reasonably applied to animal populations of sufficiently high density. At a
certain low population density, the STE is simply not estimable without increasing the sampling
window length by an arbitrary amount, which compromises the reliability of the estimate. Third,
if researchers use motion-trigger data, they should be cautious when applying the STE. Detection
data should be examined to determine how frequently instances occur where an animal is likely
within the viewshed but not detected by cameras. Our adopted approach from Becker et al. (2022)
provides a reasonable way to choose a sampling window length, but only if there are sufficient
detections. More work is needed to determine how best to apply the STE to motion-trigger data,
and the authors are collaborating with other researchers on this challenge.

An additional challenge with the STE is its relatively poor precision. If Russian wildlife
managers wish to achieve at least 20% CV in annual estimates of density using the STE, our
simulations indicated that they would need to deploy considerably more cameras than we did in
this study (Figure 1-3). For most conservation programs in Russia and across tiger range, resource
and time constraints make this precision goal in annual estimates infeasible for all except the
highest prey population densities. When auxiliary movement data is available, the TTE provides
an alternative model with relatively high precision (Table 1-5). However, we found estimates
were consistently higher than other estimates (Figure 1-2). Santini et al. (2022) also found the
TTE to overestimate densities when tested against more realistic simulations of animal
movement. The TTE is more precise than other viewshed density estimators largely because of its
stricter assumptions about animal movement, rooted in the static period length used to estimate time-to-event. Because the movements of our study species are variable during the winter (Stephens et al. 2006b; Appendix 1B), the inflexibility of the period length in the TTE in its current form was likely the cause of bias in our estimates.

Camera-based approaches are limited by start-up costs, demands for field staff, and the image processing necessary to the desired level of precision in our study area. This limits the applicability of such approaches to organizations with substantial resources. In contrast, the FMP model provided levels of precision similar to the camera-based estimators at much lower cost. This is consistent with Keeping et al.’s (2018) findings that FMP surveys in the Kalahari desert offered a cost-effective alternative to aerial surveys for community-level monitoring. However, when tracks are recorded in snow, the logistics of planning sufficient surveys in a short period of time (i.e., when tracks are still present and identifiable) are a major limitation. In our case, we had to re-schedule surveys multiple times because of changing snow conditions. Moreover, while linear trends since 1966 suggest the Russian Far East may see increased snow precipitation in the coming decades (Bulygina et al. 2011), the latest predictions in the sixth assessment report by the Intergovernmental Panel on Climate Change clearly indicate significant warming in this region in the near future (IPCC 2022). Even if there is more snow precipitation in the Far East, these warming temperatures will make snow conditions challenging for accurately identifying track age. Still, the FMP method is statistically well-supported (Stephens et al. 2006b, Jousimo and Ovaskainen 2016, Keeping et al. 2018), and FMP density estimates were consistent with viewshed density estimators generally (Figure 1-2).

Our results support the FMP method as a reliable tool to monitor densities of unmarked wildlife populations for researchers and managers with limited resources and in snow-covered
environments. But this is only if the assumption of representative sampling of the landscape is met. Our FMP estimates from surveys along roads and trails were consistently higher than our representative surveys (Figure 1-2). These roads and trails were typically along rivers and creeks and avoided high elevations with more snow. Hebblewhite et al. (2014) found all four prey species selected habitats with the same characteristics as these roads and trails at the scale of second-order selection (Johnson 1980). At finer scales, prey species may select the roads and trails themselves for their ease of travel. For instance, herds of sika deer seem to prefer using established game trails to travel in the winter (Zapovednik staff, pers comm). This behavior led to greater track counts and therefore higher density estimates. Conducting representative surveys is arduous work, but we strongly recommend this as an essential part of study design if density estimates are to be an unbiased representation of the entire study area.

Many researchers do not work in snow-covered environments, and as such are still searching for camera-based solutions to unmarked population monitoring. All viewshed density estimators are limited by the strict assumption of random sampling and need for a large number of cameras to achieve better precision. There are two important areas of development that could improve the precision of the STE and all other camera-based estimators. First, repeated estimates over time can be used to increase overall precision in population trend. Integrated population models (IPMs) combine abundance or count data over time with other sources of information on demographic parameters to improve the precision of estimates (Schaub et al. 2007, Schaub and Abadi 2011). The inclusion of spatial covariates could improve the precision of density estimates as well. For example, Allen et al. (2008) found that by stratifying aerial surveys according to different bins from resource selection function models, they improved both precision of elk (*Cervus canadensis*) abundance estimates and design efficiency. In our case, we struggled to
obtain precise estimates for sika deer, both in our real data (Table 1-4) and simulation extensions. Sika deer are mostly concentrated near the coast in our study area, so our detection data varied considerably across the whole study area. A simple categorical covariate for coastal oak would explain a lot of the variation in our detections of sika deer across cameras and therefore improve the precision of density estimates.

Even with poor precision, we demonstrated that the estimators tested here are all capable of detecting dramatic changes in abundance. We detected a 95% decline (averaged across estimators) in wild boar densities (Figure 1-2), even though CVs of estimates in winter 2020-21 were over 100% for some models (Table 1-4). Our study was concurrent with the arrival of African Swine Fever (ASF) in our study area in 2020 (Zakharova et al. 2021), so this decline was not surprising. These are the first estimates of the population-level consequences of ASF infection in Russia. This level of decline aligns well with that observed by Morelle et al. (2020), who detected a 95% decline in wild boar densities in two forests in and near Biłowieża Primordial Forest, Poland. Our estimates can be used as a reference when wildlife managers consider the consequences of ASF spread into currently uninfected populations.

5 | CONCLUSION

Twelve years after the World Tiger Summit, and with the second summit planned for this year, most countries still have not established reliable prey monitoring programs. Here, we tested three viewshed density estimators against independent estimates from snow track surveys and assessed each estimator’s potential to serve as a tool for monitoring densities of large herbivore prey. While precision was generally poor, estimates of densities were mostly consistent and, importantly, all estimators detected a real, dramatic decline in wild boar densities. The consistency of estimates both over time and with our random snow track surveys suggest that
these models can provide unbiased estimates of density. With more development, such as the inclusion of spatial covariates and consistent monitoring over time, the precision of density estimates can be improved. Even so, the strict assumptions of all models that cameras representatively sample the study area remain restrictive. This is especially challenging because of the rugged terrain in much of tiger habitat and low densities of wary prey. In the next chapter, we assessed the importance of this assumption by comparing detections of ungulate prey at cameras placed randomly or on roads. We also tested an alternative deployment strategy that aimed to balance the need for random sampling with its logistical constraints.

6 | LITERATURE CITED


Hebblewhite, M., D. G. Miquelle, H. Robinson, D. G. Pikunov, Y. M. Dunishenko, V. V. Aramilev, I. G. Nikolaev, G. P. Salkina, I. V. Seryodkin, V. V. Gaponov, M. N. Litvinov, A.


Hutchinson, J. M. C., and P. M. Waser. 2007, August. Use, misuse and extensions of “ideal gas” models of animal encounter.


Table 1-1: Comparison of four methods to estimate densities of species the individuals of which cannot be uniquely identified. A brief explanation of the technique is given, along with the advantages, assumptions, and difficulties involved with each technique. Underlined references are considered foundational to the technique in its development and/or explanation. Other references are example applications of the technique since the model’s development.

<table>
<thead>
<tr>
<th>Method</th>
<th>Technique</th>
<th>Advantages</th>
<th>Assumptions &amp; Difficulties</th>
<th>References</th>
</tr>
</thead>
<tbody>
<tr>
<td>Formozov-Malyushev-Pereleshin Method (FMP)</td>
<td>• Winter track surveys conducted along transects, typically ~5-10km long. • Tracks &lt;24h old are recorded by species and number of individuals.</td>
<td>• Long history of use in Russia • Scientists gain additional information about species by following them through their habitat • Continuity of methods for long-term data sets in Russia • Method robust to animal movement tortuosity • Estimates apparently unaffected by double-counting of tracks</td>
<td>• Assumes animals move independent of transects • Depends on recurrent snowfall • Group size often difficult to determine • Impractical survey effort required for low densities • Assumes perfect species identification by tracks • Assumes tracks correctly ID’d as &lt;24h old • Prone to bias with inaccurate estimates of travel distance</td>
<td>• Lomanov 2000) • Stephens et al. 2006b • Keeping and Pelletier 2014) • Jousimo &amp; Ovsaiken et al. 2016 • Petrunenko et al. 2016 • Romani et al. 2018 • Jayin et al. 2018) • Ahlsweede et al. 2019 • Doran-meyers et al. 2021</td>
</tr>
<tr>
<td>Random Encounter Model (REM)</td>
<td>• Uses camera traps • Estimates density based on two components: (1) animal encounter rate with cameras; and (2) the cameras’ field of view (radius and angle of detection) • Equation very similar to and inspired by the FMP method (above)</td>
<td>• Minimal survey effort required to deploy cameras • Allows for animal movements non-independent of one another (Rowcliffe et al. 2013) • Robust to assumption of random, independent animal movement</td>
<td>• Assumes camera viewsheds collectively represent the study area • Assumes random placement of cameras with respect to animal movement • Assumes closed population • Prone to bias with inaccurate estimates of travel distance • Requires estimates of camera viewshed, which are laborious to estimate (e.g. Hofmeester et al. 2017)</td>
<td>• Rowcliffe et al. 2008 • Chauvene et al. 2017 • Massei et al. 2017 • Soofi et al. 2017 • Gray 2018 • Pfieffer et al. 2018 • Loonam et al. 2020a • Palencia et al. 2021 • Doran-meyers et al. 2021 • Morin et al. 2022</td>
</tr>
<tr>
<td>Space-To-Event Model (STE)</td>
<td>• Uses camera traps • Estimates density based on the amount of space sampled to the first observation for each sampling occasion; uses spatial trapping rate</td>
<td>• The camera’s viewshed is the sample grid cell - eliminates detection probability within a larger cell • Robust to closed populations • Robust to the assumption of independent detection events</td>
<td>• Assumes camera viewsheds collectively represent the study area • Assumes animals are Poisson-distributed across camera viewsheds • Lower precision of estimates relative to other estimators • Assumes observations are independent between occasions t and t+1 • Requires estimates of camera viewshed, which are laborious to estimate (e.g. Hofmeester et al. 2017) • With motion-trigger data, decisions about the sampling window length are arbitrary</td>
<td>• Moeller et al. 2018 • Loonam et al. 2020a • Ausband et al. 2022 • Morin et al. 2022</td>
</tr>
<tr>
<td>Time-To-Event Model (TTE)</td>
<td>• Uses camera traps • Elaboration of STE: the amount of space sampled before the 1st observation is isolated for each camera, calculated over many occasions (hence time to event at each camera).</td>
<td>• Able to account for heterogeneity in density • The camera’s viewshed is the sample grid cell - eliminates detection probability • Robust to closed populations • Robust to the assumption of independent detection events</td>
<td>• Assumes random placement of cameras with respect to animal movement • Assumes animals are Poisson-distributed across camera viewsheds • Prone to bias with inaccurate estimates of travel distance • Assumes observations are independent between occasions t and t+1 • Requires estimates of camera viewshed, which are laborious to estimate (e.g. Hofmeester et al. 2017)</td>
<td>• Moeller et al. 2018 • Loonam et al. 2020a • Ausband et al. 2022 • Morin et al. 2022 • Santini et al. 2022</td>
</tr>
</tbody>
</table>
Figure 1-1. Locations of random cameras, and both the standard and random winter track surveys conducted in the southern portion of Sikhote-Alin Biosphere Zapovednik, Russian Far East. Only camera locations (N=62) and random track surveys (22 surveys totaling 168 km) from winter 2021-22 are shown (the three winters varied in their locations). The village of Terney is labeled to the northeast.
**Table 1-2.** Summary of survey efforts during winters 2019-20 and 2020-21 for both camera trap surveys and snow track surveys. See methods for more details about study design. During winter 2019-20, the number in parentheses after the brand of camera indicates the number of models of that brand that were used.

<table>
<thead>
<tr>
<th></th>
<th>Winter 2019-20</th>
<th>Winter 2020-21</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Camera traps</strong></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Study dates</td>
<td>01-Feb-2020 – 01-Apr-2020</td>
<td>20-Nov-2020 – 10-Feb-2021</td>
</tr>
<tr>
<td>Deployed N cams</td>
<td>50</td>
<td>57</td>
</tr>
<tr>
<td>N cams used in analysis</td>
<td>45</td>
<td>50</td>
</tr>
<tr>
<td>Total trap nights</td>
<td>2,743</td>
<td>4,050</td>
</tr>
<tr>
<td>Brands of cameras</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Bushnell (2)</td>
<td></td>
<td>Panthera V7</td>
</tr>
<tr>
<td>Reconyx (2)</td>
<td></td>
<td>Browning Recon Force</td>
</tr>
<tr>
<td>SPromise (2)</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Browning (2)</td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>FMP random surveys</strong></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Total effort (km)</td>
<td>64</td>
<td>--</td>
</tr>
<tr>
<td>N survey routes</td>
<td>8</td>
<td>--</td>
</tr>
<tr>
<td><strong>FMP conventional surveys</strong></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Total effort (km)</td>
<td>103</td>
<td>117</td>
</tr>
<tr>
<td>N survey routes</td>
<td>19</td>
<td>19</td>
</tr>
</tbody>
</table>
Table 1-3. Descriptions of criteria used to score camera trap and snow track survey estimators for their use to monitor prey of the Amur tiger. Criteria are grouped by the three broad categories of statistics, logistics, and costs of each estimator. More detailed descriptions and the scoring of each estimator are provided in Appendix 1C.

<table>
<thead>
<tr>
<th>Category</th>
<th>Criterion</th>
<th>Score</th>
<th>Description</th>
</tr>
</thead>
<tbody>
<tr>
<td>Statistics</td>
<td>Precision (CV)</td>
<td>1-4</td>
<td>Average CV of each estimator for each species and for the two seasons: 10-20%, 1; 20-30%, 2; 30-40%, 3; and 40%+, 4.</td>
</tr>
<tr>
<td></td>
<td>Potential bias in parameters</td>
<td>1-4</td>
<td>Relative scores based on # of parameters in the estimator and their susceptibility to bias.</td>
</tr>
<tr>
<td></td>
<td>Potential bias in study design</td>
<td>1-4</td>
<td>Relative score for camera traps and snow track surveys.</td>
</tr>
<tr>
<td></td>
<td>Complexity of analysis</td>
<td>1-4</td>
<td>Relative scores based on both the number of analysis steps and their complexity.</td>
</tr>
<tr>
<td>Logistics</td>
<td>Difficulty in planning survey</td>
<td>1-4</td>
<td>Relative scores based on difficulty in implementation, considering staff, season, and weather-dependence.</td>
</tr>
<tr>
<td></td>
<td>Difficulty of gear preparation</td>
<td>1-4</td>
<td>Relative scores preparing for sampling (deploying cameras or preparing for survey routes).</td>
</tr>
<tr>
<td></td>
<td>Difficulty of site setup</td>
<td>1-4</td>
<td>Relative scores based on the stages involved in camera site setup (no penalty for track surveys).</td>
</tr>
<tr>
<td></td>
<td>Difficulty preparing data for analysis</td>
<td>1-4</td>
<td>Relative scores based on complexity of preparing data for statistical analysis</td>
</tr>
<tr>
<td>Costs</td>
<td>Survey effort to achieve 20% CV</td>
<td>1-4</td>
<td>The number of cameras required to achieve this precision, based on simulations from our real data. For snow track surveys, we converted surveys into camera-equivalent effort (Appendix 1A).</td>
</tr>
<tr>
<td></td>
<td>Start-up costs to achieve 20% CV</td>
<td>1-4</td>
<td>Cost to purchase the number of cameras to achieve 20% CV (determined above). No start-up penalties for track surveys. Rank based on the number of stages of analysis, from the processing of raw data (all camera trap images and notebooks with snow tracking data) to final density estimates.</td>
</tr>
<tr>
<td></td>
<td>Stages of analysis</td>
<td>1-4</td>
<td></td>
</tr>
</tbody>
</table>
Table 1-4. Values of parameters and other information used to estimate the densities of prey species during winter 2019-20 (February 01 – April 01, 2020; S1) and winter 2020-21 (November 20, 2020 – February 10, 2021; S2). Parameter symbology and definitions are explained in the Methods section.

<table>
<thead>
<tr>
<th>Method</th>
<th>Parameter</th>
<th>Wild boar</th>
<th>Red deer</th>
<th>Roe deer</th>
<th>Sika deer</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td></td>
<td>S1</td>
<td>S2</td>
<td>S1</td>
<td>S2</td>
</tr>
<tr>
<td><strong>FMP</strong></td>
<td>Y/S (tracks/km)</td>
<td>2.09</td>
<td>--</td>
<td>0.35</td>
<td>--</td>
</tr>
<tr>
<td>Random</td>
<td>v (km/day)</td>
<td>2.42 - 3.59</td>
<td>1.18 - 1.40</td>
<td>0.79 - 0.99</td>
<td>1.50 - 4.06</td>
</tr>
<tr>
<td></td>
<td>S (km)</td>
<td>63.8</td>
<td>--</td>
<td>63.8</td>
<td>--</td>
</tr>
<tr>
<td><strong>FMP</strong></td>
<td>Y/S (tracks/km)</td>
<td>3.26</td>
<td>0.38</td>
<td>0.99</td>
<td>0.30</td>
</tr>
<tr>
<td>Trail</td>
<td>v (km/day)</td>
<td>2.42 - 3.59</td>
<td>1.18 - 1.40</td>
<td>0.79 - 0.99</td>
<td>1.50 - 4.06</td>
</tr>
<tr>
<td></td>
<td>S (km)</td>
<td>103.2</td>
<td>116.9</td>
<td>103.2</td>
<td>116.9</td>
</tr>
<tr>
<td><strong>REM</strong></td>
<td>Y/t (detections/day)</td>
<td>0.067</td>
<td>0.002</td>
<td>0.011</td>
<td>0.021</td>
</tr>
<tr>
<td></td>
<td>v (km/day)</td>
<td>2.42 - 3.59</td>
<td>1.18 - 1.40</td>
<td>0.79 - 0.99</td>
<td>1.50 - 4.06</td>
</tr>
<tr>
<td></td>
<td>r (km, median)</td>
<td>0.012</td>
<td>0.010</td>
<td>0.012</td>
<td>0.010</td>
</tr>
<tr>
<td></td>
<td>theta (radians, mean)</td>
<td>0.820</td>
<td>0.960</td>
<td>0.820</td>
<td>0.960</td>
</tr>
<tr>
<td><strong>STE</strong></td>
<td>Occasion (min)</td>
<td>15</td>
<td>15</td>
<td>15</td>
<td>15</td>
</tr>
<tr>
<td></td>
<td>Sample window (sec)</td>
<td>7</td>
<td>60</td>
<td>60</td>
<td>60</td>
</tr>
<tr>
<td></td>
<td>Censor area (m^2)</td>
<td>1443</td>
<td>2502</td>
<td>1443</td>
<td>2502</td>
</tr>
<tr>
<td></td>
<td>Non-NA STEs</td>
<td>14</td>
<td>1</td>
<td>3</td>
<td>8</td>
</tr>
<tr>
<td><strong>TTE</strong></td>
<td>Occasion (minutes)</td>
<td>1440</td>
<td>1440</td>
<td>1440</td>
<td>1440</td>
</tr>
<tr>
<td></td>
<td>Period (seconds)</td>
<td>189</td>
<td>260</td>
<td>499</td>
<td>624</td>
</tr>
<tr>
<td></td>
<td>N periods per occasion</td>
<td>24</td>
<td>24</td>
<td>24</td>
<td>24</td>
</tr>
<tr>
<td></td>
<td>Occasion length</td>
<td>14900</td>
<td>23250</td>
<td>14900</td>
<td>23250</td>
</tr>
<tr>
<td></td>
<td>Non-NA TTEs</td>
<td>68</td>
<td>7</td>
<td>20</td>
<td>55</td>
</tr>
</tbody>
</table>
Table 1-5. Point density estimates and their coefficients of variation for ungulate prey species during winter 2019-20 (February 01 – April 01, 2020; S1) and winter 2020-21 (November 20, 2020 – February 10, 2021; S2). Random FMP surveys were not conducted during Winter 2020-21.

<table>
<thead>
<tr>
<th>Method</th>
<th>Parameter</th>
<th>Wild boar</th>
<th>Red deer</th>
<th>Roe deer</th>
<th>Sika deer</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td></td>
<td>S1</td>
<td>S2</td>
<td>S1</td>
<td>S2</td>
</tr>
<tr>
<td>FMP</td>
<td>$D \text{ (ind/km}^2\text{)}$</td>
<td>1.02</td>
<td>--</td>
<td>0.42</td>
<td>--</td>
</tr>
<tr>
<td>Random</td>
<td>CV</td>
<td>32%</td>
<td>--</td>
<td>53%</td>
<td>--</td>
</tr>
<tr>
<td>FMP</td>
<td>$D \text{ (ind/km}^2\text{)}$</td>
<td>1.62</td>
<td>0.21</td>
<td>1.19</td>
<td>0.41</td>
</tr>
<tr>
<td>Trail</td>
<td>CV</td>
<td>46%</td>
<td>45%</td>
<td>34%</td>
<td>44%</td>
</tr>
<tr>
<td>REM</td>
<td>$D \text{ (ind/km}^2\text{)}$</td>
<td>3.27</td>
<td>0.11</td>
<td>0.92</td>
<td>1.91</td>
</tr>
<tr>
<td></td>
<td>CV</td>
<td>31%</td>
<td>88%</td>
<td>38%</td>
<td>35%</td>
</tr>
<tr>
<td>STE</td>
<td>$D \text{ (ind/km}^2\text{)}$</td>
<td>1.12</td>
<td>0.05</td>
<td>0.28</td>
<td>0.34</td>
</tr>
<tr>
<td></td>
<td>CV</td>
<td>27%</td>
<td>124%</td>
<td>64%</td>
<td>41%</td>
</tr>
<tr>
<td>TTE</td>
<td>$D \text{ (ind/km}^2\text{)}$</td>
<td>3.21</td>
<td>0.14</td>
<td>1.80</td>
<td>1.75</td>
</tr>
<tr>
<td></td>
<td>CV</td>
<td>12%</td>
<td>40%</td>
<td>23%</td>
<td>14%</td>
</tr>
</tbody>
</table>
Figure 1-2. Estimates of population density with 95% confidence intervals for each prey species during winters 2019-20 (February 01 – April 01, 2020) and 2020-21 (November 20, 2020 – February 10, 2021). The two colors represent the two approaches to data collection: camera traps and snow track surveys. Each model is represented by a different shape at the point estimate. We were not able to conduct random snow tracking surveys during winter 2020-21.
Table 1-5. Scores for each density estimator based on the rubric described in Table 1-4. The information used and decisions made for each score are presented in Appendix 1C. The “data collection cost index” is not used to rank estimators, but is instead listed because of the context it provides readers.

<table>
<thead>
<tr>
<th>Criterion</th>
<th>Score</th>
<th>STE</th>
<th>TTE</th>
<th>REM</th>
<th>FMP</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Statistics</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Precision (CV)</td>
<td>1 - 4</td>
<td>4 (61%)</td>
<td>2 (23%)</td>
<td>4 (49%)</td>
<td>4 (47%)</td>
</tr>
<tr>
<td>Potential bias in parameters</td>
<td>1 – 4</td>
<td>2</td>
<td>3</td>
<td>3</td>
<td>2</td>
</tr>
<tr>
<td>Potential bias in study design</td>
<td>1 – 4</td>
<td>2</td>
<td>2</td>
<td>2</td>
<td>1</td>
</tr>
<tr>
<td>Complexity of analysis</td>
<td>1 – 4</td>
<td>3</td>
<td>4</td>
<td>4</td>
<td>2</td>
</tr>
<tr>
<td><strong>Logistics</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Difficulty in planning survey</td>
<td>1 – 4</td>
<td>2</td>
<td>2</td>
<td>2</td>
<td>4</td>
</tr>
<tr>
<td>Difficulty of gear preparation</td>
<td>1 – 4</td>
<td>3</td>
<td>3</td>
<td>3</td>
<td>1</td>
</tr>
<tr>
<td>Difficulty of site setup</td>
<td>1 – 4</td>
<td>3</td>
<td>3</td>
<td>3</td>
<td>1</td>
</tr>
<tr>
<td>Difficulty preparing data for analysis</td>
<td>1 – 4</td>
<td>3</td>
<td>4</td>
<td>4</td>
<td>2</td>
</tr>
<tr>
<td><strong>Costs</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Cameras to achieve 20% CV</td>
<td>1 – 4</td>
<td>3 (120)</td>
<td>2 (75)</td>
<td>4 (150)</td>
<td>1 (58)</td>
</tr>
<tr>
<td>Start-up costs to achieve 20% CV</td>
<td>1 – 4</td>
<td>4 ($27,072)</td>
<td>3 ($16,920)</td>
<td>4 ($33,840)</td>
<td>1 ($0)</td>
</tr>
<tr>
<td>Stages of analysis</td>
<td>1 – 4</td>
<td>3</td>
<td>4</td>
<td>4</td>
<td>2</td>
</tr>
</tbody>
</table>
Figure 1-3. Simulated number of cameras or camera-equivalent survey effort for the three viewshed density estimators and FMP surveys, respectfully. Simulations used real data from the three winter seasons. Dot-dash lines represent the camera survey effort (N=45) from winter 2019-20, and the dashed line above represents the camera survey effort (N=50) from winter 2020-21.
Figure 1-4. Sensitivity of Space-To-Event density estimates to increases in the sampling window length. This example figure is based on red deer detection data from the 2020-21 winter season, though the relationship is the same for all species and all seasons. Each panel (a-d) represent an increasing occasion length. As the sampling window increases, density estimates increase. As the occasion length increases, point estimates of density remain consistent, but precision decreases.
During our first camera deployment season, we conducted extensive walk tests at each camera to determine the angles and distances to detection. We considered a distance as consistent if it detected at least one passage out of three. To measure angles, the first field technician would move to the outer edge of the detection zone. Once they identified the location of the maximum angle, the second field technician would take a bearing with a compass placed on top of the camera trap. This was repeated for the other side of the detection zone, and the detection angle thus estimated. This process was time consuming, often taking over 30 minutes, depending on the camera model and age, weather conditions, and terrain.

During the winter 2020-21 deployment season, we tried an alternative approach to measuring viewshed area developed by Idaho Fish & Game biologists. First, 30cm X 40cm pieces of plywood were cut, and a dot drawn in the center of edge of the short side. Using a protractor and ruler, a pie shape was drawn according to the lens angle of a particular camera model. Next, that pie shape was divided into 6 equal sectors. Finally, small nails were tapped into the center of the edge of the widest part of each sector (away from the pie piece’s origin). When in the field, one technician would kneel and place her head directly in front of the camera. Then, she would hold this “viewboard” to their forehead, such that their vision became divided into 6 equal sections. This technician would dictate to the other technician how far she could see in that sector. The other technician then measured the distance to the obstruction (such as a thick bush, rock, or tree).
If there were no obstructions, then the maximum detection distance was recorded. An example recorded data sheet is provided below (Figure A3).

Figure A1. Histograms of individual camera viewshed areas measured during the winter 2019-20 and 2020-21 seasons.
APPENDIX 1B: ESTIMATING WILD BOAR DAILY TRAVEL DISTANCES WITH GPS RELOCATION DATA

Between the spring of 2019 and fall 2020, we captured 13 adult female wild boar in corral traps. We used a combination of Zoletil (6-9.2-mg/kg) and Medetomidine (0.07-mg/kg) to anaesthetize wild boar (Mikhail Goncharuk, pers comm), before fitting them with Lotek GPS Litetrack 420 Iridium collars set to a 15-minute fix interval schedule between November-1 and April-1. All captures and handling were conducted by WCS Russia and Zapovednik staff, and met IACUC animal care standards as approved by the University of Montana (AUP 061-19). Eight of these captured individuals contributed sufficient relocation data to estimate winter daily travel distances.

We estimated daily travel distance by summing the straight-line distances between points of an individual’s relocation data during 24-hour periods (00:00:00 – 23:59:59). While this approach has been called into question (Noonan et al., 2019; Rowcliffe et al., 2016), previous analyses found no significant difference between this approach, the asymptotic approach used by Musiani et al. (1998) and the continuous time movement model estimates as described in Noonan et al. (2019) (Scott Waller, unpublished data). We used 1,000 iterations of nonparametric bootstrapping to estimate 95% confidence intervals of the median daily travel distance. We used values within the 95% confidence intervals as possible distances when estimating density with the REM and FMP in chapter 1.

Wild boar traveled a median daily distance of 3.1km in winter 2019-20 (N=487 days; Figure 4). This coincides with the early and later winter travel distances reported in Stephens et al. (2006). Most daily travel distances fell between 1-7 km. There were lots of acorns available
during this winter, as well as relatively little snow. As such, wild boar were able to forage freely, as described by the range of daily travel distances we estimated.

This winter (2020-21), wild boar traveled a median daily distance of 2.3km (N=220), 0.9km less than the median of the previous winter. Most distances were between 0.5 – 4.5km. Importantly, much of this data was gathered while several of our wild boar were infected by, and eventually died from, African Swine Fever. This could partially explain the shorter distances traveled. What’s more, this year there was little acorn mast available, as well as high snowfall and low temperatures. It makes sense then that our collared wild boar attempted to minimize energy expenditure, given challenges of disease infection, harsh environmental conditions, and little available resources.

REFERENCES


FIGURE 4. Histogram of daily travel distances for two winter seasons. Data are based on 487 and 220 estimated daily travel distances for winters 2019-20 and 2020-21, respectively. Dashed lines represent the median daily travel distances: for winter 2019-20, 3161 meters; for winter 2020-21, 2346 meters.
APPENDIX 1C: DETAILS OF RUBRIC SCORES FOR EACH ESTIMATOR

The following statistics, logistics, and cost categories and their respective criteria were adopted from Riley et al. (2017) and their comparison of methods to monitor Amur tiger populations.

STATISTICS

Precision

Rank each model based on their average coefficient of variation (CV) across species and years: 1 (10-20%), 2 (20-30%), 3 (30-40%), 4 (40%+).

- STE: 4 (61%)
- TTE: 2 (23%)
- REM: 4 (49%)
- FMP: 4 (47%)

Potential sources of bias in parameters

- STE: viewshed area, discontinuous sampling with motion-trigger: 2
- TTE: viewshed area, discontinuous sampling with motion-trigger, independent estimates of daily movement rate: 3
- REM: Viewshed radius and angle, discontinuous sampling with motion-trigger, independent estimates of daily movement rate: 3
- FMP: independent estimates of daily movement rate, only fresh tracks < 24h counted: 2

Potential sources of bias in study design

- STE: random camera placement, camera malfunctions: 2
- TTE: random camera placement, camera malfunctions: 2
- REM: random camera placement, camera malfunctions: 2
- FMP: placement of routes in study area: 1
Complexity of data analysis (steps)

*NOTE:* these steps are after the detection data has been processed and ready for analysis (track encounter data for FMP, species detections for viewshed density estimators), and camera deployment dataframe is prepared with accurate location, effort, and viewshed area data.

- **STE:** set parameter values (occasion and sampling window), build encounter history, run STE function: 3
- **TTE:** set parameter values (period length based on movement, sampling window, periods per occasion), build encounter history, run TTE: 4
- **REM:** parameterize animal movement rate, bootstrap density and variance: 3
- **FMP:** parameterize animal movement rate, bootstrap density and variance: 3

LOGISTICS

*Difficulty planning for data collection*

FMP: Because it can be so challenging to plan track surveys due to the weather, the FMP gets the worst score of 4. Cameras: 1 point each for planning deployment, and retrieval of cameras.

- **STE:** 2
- **TTE:** 2
- **REM:** 2

*Difficulty of gear preparation*

- **STE:** put memory cards and batteries in cameras, check settings are correct: 2
- **TTE:** put memory cards and batteries in cameras, check settings are correct: 2
- **REM:** put memory cards and batteries in cameras, check settings are correct: 2
- **FMP:** no gear preparation beyond any requirements for being in the field: 1
**Difficulty of site set-up**

- STE: choosing the location of the camera and placing correctly, measuring viewshed area, turning on camera: 3
- TTE: choosing the location of the camera and placing correctly, measuring viewshed area, turning on camera: 3
- REM: choosing the location of the camera and placing correctly, measuring viewshed area, turning on camera: 3
- FMP: no sites involved: 1

**Expertise required**

- STE: only basic knowledge of how to use a GPS needed: 1
- TTE: only basic knowledge of how to use a GPS needed: 1
- REM: only basic knowledge of how to use a GPS needed: 1
- FMP: expert assessment of track species and age, but this can be trained relatively easy especially for large ungulate prey species: 3

**Difficulty preparing collected data for analysis (steps)**

- STE: delete empty images, identify species correctly, calculate camera area: 3
- TTE: delete empty images, identify species correctly, calculate camera area, estimating movement: 4
- REM: delete empty images, identify species correctly, calculate camera area, estimating movement: 4
- FMP: record surveyor’s written data, estimate animal movement: 2
COSTS

Simulated effort to achieve 20% CV

To fully understand the effort required to deploy the number of cameras our simulations indicated to achieve 20% CV for various densities, we estimated the fieldwork travel that would be required to deploy the indicated number of cameras, based on survey efforts during winter 2021-22. That year, field crew walked a total of 360 km and drove 156 km to deploy 62 cameras, which amounts to 8.4 km of total field travel for each camera trap deployed. To make our simulations of effort comparable between camera traps and snow track surveys, we divided the simulated kilometers of snow track surveys by 8.4. This represented the snow track survey efforts in units of camera-equivalents. We also recorded the km driven by snowmobiles or 4-wheelers during this survey, which gave us an average survey length of 7.7 km for each track survey, or roughly 0.91 cameras deployed during each survey. This information is useful, but because we are already scoring estimators based on the number of cameras or camera-equivalent effort, we did not include this in the rubric.

For the rubric scores, we used simulated effort values based on the medium density species. The results of all simulations are presented in Figure 1-4 (pg. 46). Note that this approach favors camera trapping, because we do not account for the equivalent effort required to retrieve those cameras.

Number of cameras (camera equivalent effort for FMP) to reach 20% CV for density of 0.7 km$^{-2}$:

- STE: 120 – 3
- TTE: 75 – 2
- REM: 150 – 4
- FMP: 54 – 1
Start-up costs:

- **STE**: 120 cameras @ $200 each, 120 memory cards @ $8 each, 960 lithium AA batteries (8 per camera) @ $2.2 per battery: total = $27,072: 4

- **TTE**: 75 cameras @ $200 each, 75 memory cards @ $8 each, 600 lithium AA batteries (8 per camera) @ $2.2 per battery: total = $16,920: 3

- **REM**: 150 cameras @ $200 each, 150 memories @ $8 each, 1,200 lithium AA batteries (8 per camera) @ $2.2 per battery: total = $33,840: 4

- **FMP**: nothing beyond typical field work gear. Total = $0: 1

Stages of analysis

- **STE**: saving and recording data from camera memory cards, cleaning empty photos, tagging photos and creating detection file, statistical analysis: 4

- **TTE**: saving and recording data from camera memory cards, cleaning empty photos, tagging photos and creating detection file, statistical analysis: 4

- **REM**: saving and recording data from camera memory cards, cleaning empty photos, tagging photos and creating detection file, statistical analysis: 4

- **FMP**: record track data written in surveyor booklets, statistical analysis: 2

Table C1: Average scores for each estimator in each category.

<table>
<thead>
<tr>
<th></th>
<th>STE</th>
<th>TTE</th>
<th>REM</th>
<th>FMP</th>
<th>Mean</th>
</tr>
</thead>
<tbody>
<tr>
<td>Statistics</td>
<td>2.8</td>
<td>2.8</td>
<td>3.3</td>
<td>2.3</td>
<td>2.8</td>
</tr>
<tr>
<td>Logistics</td>
<td>2.8</td>
<td>3.0</td>
<td>3.0</td>
<td>2.0</td>
<td>2.7</td>
</tr>
<tr>
<td>Costs</td>
<td>3.3</td>
<td>3.0</td>
<td>4.0</td>
<td>1.3</td>
<td>2.9</td>
</tr>
<tr>
<td><strong>Total</strong></td>
<td><strong>2.9</strong></td>
<td><strong>2.9</strong></td>
<td><strong>3.4</strong></td>
<td><strong>1.9</strong></td>
<td><strong>2.8</strong></td>
</tr>
</tbody>
</table>
CHAPTER 2: COMPARING ROAD, OFF-ROAD, AND RANDOMLY PLACED CAMERA TRAPS: LINEAR FEATURES BIAS DETECTIONS OF LARGE UNGULATES

1 | INTRODUCTION

Random sampling is an essential tool in scientific research. The degree to which a sample of observations represents the study population in an unbiased way determines the quality of our statistical inferences (Fisher 1925, Cochran 1977, Garton et al. 2012). Random sampling ensures that we achieve a sample of the population that does not bias estimates of the sample mean and variance by sample selection (Cochran 1977, Jolly 1979, Williams et al. 2002). In the field of population ecology, researchers make inferences about a study population of a species based on parameters estimated from, ideally, a random sample of that population (Garton et al. 2012, Mills 2013). Estimates of the true abundance of a population are especially valuable as it allows managers to monitor trends over time and thus assess the consequences of management and conservation actions (Williams et al. 2002). Population size and trends are also key metrics by which the IUCN categorizes a species’ threat status (IUCN 2012). Because of the value of abundance estimates, much effort has been spent on its accurate, precise, and efficient estimation (Williams et al. 2002). Random sampling is often a key component of proposed methods to estimate abundance because it ensures the sample is representative of study population (Jolly 1979, Williams et al. 2002).

For over 100 years, ecologists have used the unique markings of individuals to estimate population size. Danish biologist C.G.J. Petersen was one of the first in the field of population ecology to apply mark-recapture techniques in 1889, though not for abundance purposes. His approach was later developed by F.C. Lincoln as the Lincoln-Petersen index to estimate abundance of waterfowl populations in the United States based on capture-recapture of randomly
marked individuals (Lincoln 1930, le Cren 1965, Mills 2013). Recently, spatially explicit capture-recapture (SECR) models were developed to make use of repeated detections of individuals within their home ranges to estimate the distribution of individuals across a study area. This provides a robust and well-tested means of estimating both abundance in a capture-recapture framework and, critically, the area of sampling (Efford et al. 2009, Royle et al. 2009).

Estimating abundance of unmarked populations has proven more difficult. Over the years, methods proposed have ranged from sightability models (Steinhorst and Samuel 1989), drive counts (Borkowski et al. 2011, Keuling et al. 2018), and distance sampling (Buckland et al. 2015). These models all assume that animals are observed in places representative of the study area, and randomly distributing routes, drives, or transects is a common technique. A major disadvantage of these ground-based models is that animals must be visually observed, and in the case of drive counts, in an area with clearly defined borders. But many wildlife populations of interest are hunted and therefore wary of humans, exist at densities too low to obtain sufficient observations, or live in thick vegetation and rugged terrain that make observing individuals infeasible.

One important example of the need for and challenges with estimating abundance of unmarked species is monitoring prey species for the conservation of wild tigers (Panthera tigris). Tiger density is ultimately dependent upon prey density across the tiger’s range, and estimates of true population size – beyond relative abundance – has allowed researchers to describe this dependency (Karanth et al. 2004, Miquelle et al. 2010) and identify areas where insufficient prey limit tiger recovery (Harihar et al. 2020, Qi et al. 2021). Most prey species cannot be uniquely identified, and distance sampling is limited to only certain places in tiger range such as India (Karanth and Nichols 2002). Most countries still have not developed rigorous tiger prey monitoring programs, a major goal identified during the 2010 Global Tiger Summit (Global Tiger
Many tiger managers are using cameras and SECR models to monitor tiger densities (Tempa et al. 2019, Harihar et al. 2020, Jhala et al. 2020, Matiukhina 2020). These cameras coincidentally capture images of prey species, and some researchers have already estimated relative abundances of prey based on this “by-catch” data (Tempa 2017, Xiao et al. 2018, Kafley et al. 2019). However, the N-mixture models (Royle 2004) used in these analyses make strict assumptions that ultimately mean they cannot be interpreted as estimates of true abundance (Kery and Royle 2015, Gilbert et al. 2020).

The recent unmarked estimators developed to estimate true abundance with cameras also make the strict assumption that the area sampled in front of cameras (i.e., the “viewshed”) is representative of the study area (Gilbert et al. 2020). Randomly placing cameras is a basic approach to meet this assumption when applying these methods, and has been used successfully to estimate densities of diverse wildlife populations (Rowcliffe et al. 2008, Howe et al. 2017, Moeller et al. 2018, Morelle et al. 2020, Palencia et al. 2021). While random sampling is expensive and takes more effort than placing cameras on roads and trails (see Chapter 1 of this thesis), cameras placed on linear features likely violate this important assumption of representative sampling. Past studies have investigated the differences between randomly placed cameras and cameras placed on linear features (e.g. Harmsen et al. 2010, Cusack et al. 2015, Kolowski and Forrester 2017, Tanwar et al. 2021). Yet most of these examples have focused on community-scale camera trap analyses such as species accumulation curves and measurements of species richness. Those that compared detection rates between camera deployment strategies found that differences between them vary widely depending on the study area and species (e.g., Tanwar et al. 2021). There remains a need to directly assess the differences in detections between
cameras placed on targeted features, and those deployed to represent the study area, such as through random sampling.

The studies mentioned above also did not account for the potential confounding effects of lower abundance and avoidance of human use of those roads and trails. Many studies have demonstrated that wildlife across diverse taxa avoid roads, especially with high levels of human use (Vistnes and Nellemann 2001, Jaeger et al. 2005, Northrup et al. 2012, Thurfjell et al. 2015). The avoidance of humans on roads and trails where camera traps are placed may therefore confound abundance when interpreting detection rates. Though evidence is accumulating that detections of many species are influenced by linear features, the degree to which sampling along such features leads to biased density estimates of unmarked populations remains unclear.

In this study, we assessed the importance of representative sampling and the influence of linear features in camera trap studies of population abundance by comparing relative abundance indices (RAIs) from three different deployment strategies:

1. Pairs of cameras placed in one location for tiger density monitoring (“road cameras”);
2. Single cameras placed 150 m from tiger monitoring cameras, in a random direction and without targeting landscape features to attract animals (“off-road cameras”);

We compared RAIs of four ungulate species that are the main prey of the Amur tiger (Miquelle et al. 2010): wild boar (Sus scrofa ssp. ussuricus), red deer (Cervus canadensis ssp. xanthopygus), roe deer (Capreolus pygargus), and sika deer (Cervus nippon). We recognize that RAIs sometimes fail to detect trends in abundance or compare relative abundances among species (Harmsen et al. 2010, O’Brien 2011, Sollmann et al. 2013). However, our purpose was to compare camera deployment strategies that differed most meaningfully in the number of
detections of animals. Most of the variation in unmarked estimators comes from detection rates (Palencia et al. 2021). Thus, our comparison of RAIs should be relevant to researchers estimating densities of unmarked populations with cameras. Lastly, to understand how human use of roads and trails might affect detection rates of ungulates, we investigated how levels of low or high human traffic on roads where we placed cameras for monitoring tigers influenced estimates of ungulate RAIs.

2 | MATERIALS AND METHODS

2.1 Study Area

We deployed cameras in three study sites in central Sikhote-Alin, Russian Far East (Figure 1-1). The dominant geographical feature in this region is the low-elevation Sikhote-Alin Mountains that run parallel with the coast of the Sea of Japan. East of the divide, coastal forests of Mongolian oak (Quercus mongolica) transition to mixed hardwood forests with larch (Larix spp.) and Korean pine (Pinus koreinsis). These forests predominate our southern and eastern study sites in the Sikhote-Alin Biosphere Zapovednik (SABZ) (Figure 2-1). Across the Sikhote-Alin Mountains, forests are more coniferous with Korean pine, spruce (Picea spp.), and fir (Abies spp.), though diverse hardwood species such as Japanese poplar (Populus maximowiczii) and cork bark elm (Ulmus propinqua) grow in the riparian valleys. These forests characterize both the Sidatun Hunting Lease (Sidatun) and Udege Legend National Park (ULNP) study sites where we deployed additional road and off-road cameras (Figure 2-1).

The large mammal community in this system contains seven species of ungulates and multiple predators. Wild boar, red deer, roe deer, and sika deer are the predominant ungulate prey species, though less-common goral (Naemorhedus caudatus) inhabit the coastal cliffs and musk deer (Moschus moschiferus) occur in the spruce-fir forests of northern slopes. Sika deer are only
common along the coast of the Zapovednik, though their range is expanding (Stephens et al. 2006). Across the Sikhote-Alin Mountains, both red deer and roe deer are more abundant. Moose (*Alces alces*) are rare, especially in SABZ. Wild boar abundance fluctuates depending on the availability key mast crops, namely acorns from Mongolian oak along the coast and pine nuts from Korean pine further inland (Heptner et al. 1988). Amur tigers are the dominant predator in the community, often excluding wolves (*Canis lupus*) from their territory (Miquelle et al. 2005), and sometimes preying on both brown bears (*Ursus arctos*) and Himalayan black bears (*Ursus thibetanus*) as well as ungulate species (Miquelle et al. 1996, Kerley et al. 2015).

2.2 Road camera deployment

We deployed pairs of remote cameras at each site for tiger population monitoring in SABZ, ULNP, and Sidatun (Figure 2-1). Using a 7 × 7 km grid across the entire study area, one pair of cameras was placed in each cell. Camera sites were selected to maximize detections of tigers along roads, trails, and ridges, and facing tiger marking trees if present. Cameras were placed roughly 4 m away from and on either side of the road (no more than 100 m apart) to photograph both sides of passing tigers and were no more than 100 m apart from each other. Cameras were set to capture bursts of 3 photos with minimum trigger delay.

2.3 Off-road camera deployment

To test a deployment strategy that balances the need for random camera placement and logistical constraints, we deployed single cameras roughly 150 m away from each pair of tiger monitoring cameras and at least 100 m from the road itself. Typically, field staff alternated whether they went up steep slopes on one side of the road, or further into the river valley on the other side. For
camera site selection, field staff chose areas with minimal brush and other obstructions while avoiding features like game trails.

2.4 Random camera deployment

In the 527 km² southern SABZ study site (Figure 2-1), we deployed cameras using a systematic random sampling design to serve as a reference for unbiased estimates of RAIs. First, a rectangular 3.5 × 3.5 km grid was drawn over our study area. This cell size approximates the area of a female red deer’s home range (Dou et al. 2019). We randomly generated one camera location in each cell, then excluded cameras that were not within the study area. Because of the remoteness of some cells, a few cameras’ locations were adjusted to be more easily accessed, while maintaining the random location’s forest type, elevation, and aspect. Because of resource constraints, if a pair of tiger monitoring cameras occurred within a cell, we only placed an off-road camera in that cell.

Both off-road and random cameras were placed 1 – 1.5 m above the ground and facing north to minimize glare from the sun. Whenever the camera site was on a slope, the camera was positioned such that its horizontal field of view was in-line with the slope to minimize reductions in detection area (Moeller et al. 2018; Appendix 1A, Figure A3). Cameras were set to take bursts of three photos at each capture with no delay. We considered detections of individuals of the same species 30 minutes apart to be independent events.

2.5 Estimating Relative Abundance Indices (RAIs)

The value of using an RAI instead of only the number of detections at a camera is that RAIs adjust those detections by the number of days that camera was operational (O'Brien 2011). In
most applications, RAIs are calculated for individual cameras, then averaged across sites for a mean RAI:

\[ RAI = \frac{\sum_{i=1}^{N} \left( \frac{y_i}{t_i} \times 100 \right)}{N} \]  
Equation 1

Where \( y_i \) is the number of independent detections at camera \( i \), \( t_i \) is the number of days camera \( i \) was operational, and \( N \) is the total number of cameras.

While the estimation of RAIs using Equation 1 is widespread (Johnson et al. 2006, O’Brien 2011, Gilbert et al. 2020, Tanwar et al. 2021), our RAIs were always negative-exponentially distributed across study sites and seasons. Medians are a better summary statistic for skewed distributions, as means can be heavily biased by outliers. We therefore fit exponential distributions to RAIs of a study site using maximum likelihood estimation to estimate the rate parameter of the distribution, lambda (\( \lambda \)). The median \( M \) of an exponential distribution can be estimated by evaluating the integral of the probability density function from zero to \( M \), then taking the logarithm of the reciprocal such that:

\[ M = \lambda \ln(2) \]  
Equation 2

Finally, we used 1,001 iterations of nonparametric parametric bootstrapping (Efron and Tibshirani 1993) to estimate the median RAI and associated standard error.

For random and off-road cameras, we used bootstrapping to estimate the median RAI and its standard error. For road cameras, we had to additionally account for the difference in detections between the pair of cameras at one location, since they were up to 100 meters apart and thus sometimes had variable numbers of detections. To estimate an RAI for one location with a pair of cameras, we simply took the average of the individual camera RAIs. The paired cameras often had similar numbers of detections, and if there was a large difference, then we assumed the average adequately represented the variation between them.
2.6 RAI comparisons

To assess the importance of representative sampling and the influence of linear features on detection rates of ungulates, we first calculated RAIs from random cameras as a reference, unbiased estimate. We then calculated RAIs for road and off-road cameras, and compared these estimates to the random cameras. Note that all the cameras in this first analysis were within the southern SABZ study area (Figure 2-1). We then used linear mixed-effects models (Raudenbush & Bryk 2002) to test whether off-road and road RAIs were significantly different from random RAIs, with a random intercept for year. To better understand the differences between road and off-road RAIs alone, we expanded our study area and used linear mixed-effects models to compare differences in RAIs in the eastern SABZ, ULNP, and Sidatun study areas. In this second analysis, we used a random intercept for study area and, since we had multiple years of cameras in eastern SABZ, study year.

2.7 Effects of human road traffic on relative abundance of prey

To understand how detections of prey species on roads and trails were affected by the amount of human traffic on those linear features, we first estimated RAIs using the detections of humans, vehicles, and logging machinery at camera sites, using equation 1 above. These RAIs were summed together as a total human traffic index for each camera site. If the human traffic index was less than 75 detections per 100 days, that site was categorized as “low traffic”; if the index was equal to or greater than 75 detections per 100 days, the camera was categorized as “high traffic.” Because of the low sample of camera sites with high human traffic, we analyzed the relationship between prey RAIs and human traffic indices by including data from the years 2018-19, 2019-20, and 2020-21, and across our three study regions. We additionally included indices
from camera sites in the Terney hunting lease, to the east of SABZ (Figure 2-1), for a total of 295 camera sites. We then used linear regression to test for a significant effect of human traffic on individual prey species RAIs, as well as a combined prey RAI.

2.8 Data processing and analysis

RAIs were calculated using the R programming language in R (R Core Team 2022). After raw camera trap images were processed by field staff, detection data was produced in R using the camtrapR package (Neidballa et al. 2016). We used the fitdistrplus package in R to fit exponential distributions to the RAIs from different study sites (Delignette-Muller and Dutang 2015).

3 | RESULTS

We deployed cameras at 262 different locations over three years across the three study sites, and estimated 53 separate RAIs across prey species, deployment strategies, and study sites (Table 2-1). Seasons were each 60 days with the following dates: winter 2019-20, February 10 – April 10, 2020; winter 2020-21, October 10 – December 10, 2021. Season 3, (TBD). We picked these dates to minimize changes in animal movement and thus detection rates, as abundance and movement are confounded when using RAIs (Broadley et al. 2019).

In our comparison of RAIs estimated from cameras placed by representative sampling (“random”), targeting linear features for tiger monitoring (“road”), and restricting cameras to 150 m from roads (“off-road”), our linear mixed-effects models found both road and off-road RAIs to be consistently higher than random RAIs (Table 2-2). For instance, our regression analysis of roe deer found both road RAIs ($\beta_{road} = 1.66, \text{SE} = 0.07, p < 0.001$) and off-road RAIs ($\beta_{off-road} = 1.79, \text{SE} = 0.05, p < 0.001$) were significantly greater than random RAIs ($\beta_{random} = 0.87, \text{SE} = 1.13$), with road and off-road RAIs being roughly double the reference random RAIs. The
exception to this was red deer, with off-road RAIs ($\beta_{road} = 1.30$, SE = 0.09, $p = 0.99$) being nearly identical to the random RAIs intercept ($\beta_{off-road} = 5.77$, SE = 6.05).

In our further comparison of road and off-road RAIs including eastern SABZ, Sidatun, and ULNP (Figure 2-1), our regression models found road RAIs were significantly greater than off-road RAIs (Table 2-3) for all species. The strongest difference was for sika deer, with road RAIs ($\beta_{road} = 3.85$, SE = 0.09, $p < 0.001$) being close to three times greater than off-road RAIs ($\beta_{off-road} = 1.42$, SE = 0.14). The weakest difference was for roe deer, as road RAIs ($\beta_{road} = 0.30$, SE = 0.02, $p < 0.001$) were only slightly greater than off-road RAIs ($\beta_{off-road} = 1.46$, SE = 0.55), though this difference was still significant.

In our assessment of the effects of human traffic on prey relative abundance, our analysis was limited because only 27 cameras (9%) of the 295 cameras classified as high traffic. Still, we found that high traffic generally had a negative effect on prey RAIs, both for individual species and for the combined prey index (Figure 2-4, Table 2-4). For instance, red deer RAIs decreased by over 50% on roads with high traffic ($\beta_{high\,traffic} = -5.66$, SE = 2.36, $p = 0.02$) compared to roads with low traffic ($\beta_{low\,traffic} = 10.19$, SE = 0.72). In contrast, roe deer showed a slight increase in RAI estimates on roads with high traffic ($\beta_{high\,traffic} = 1.37$, SE = 0.83, $p = 0.10$) compared to low traffic ($\beta_{low\,traffic} = 2.74$, SE = 0.25), though this difference was insignificant.

4 | DISCUSSION

Many research techniques in biology depend on random sampling to obtain unbiased observations of the population of interest (Cochran 1977, Jolly 1979), and the recent models proposed to estimate densities of unmarked populations using camera traps are no exception (Gilbert et al. 2020). For wildlife managers who wish to implement these viewshed density estimators, this
translates to significant amounts of resources spent deploying and retrieving cameras across challenging terrain (see Chapter 1). Because camera traps are typically placed on roads and trails to maximize the detections of certain species (O’Brien 2011), many researchers may be tempted to gloss over the assumption of representative sampling and place cameras on roads and trails anyways. Or, as in the case with tiger managers, they may wish to use “by-catch” images of prey species from tiger monitoring cameras as data to estimate prey abundance. We found clear evidence that placing cameras on roads and trails leads to greater detection rates of large ungulates (Figure 2-2, Table 2-2). This aligns with previous work in other systems that demonstrated higher detections for most species on roads versus trails (Cusack et al. 2015b), though the opposite is sometimes true (Tanwar et al. 2021). Even in our attempt to approximate randomness by moving 150-meters away from tiger monitoring cameras, these cameras collectively still had higher detection rates than random cameras for most species (Figure 2-2).

The most probable cause of greater estimated RAI s at off-road cameras than random cameras was species’ selection for lower-elevation habitats. Our random cameras sampled across all elevations in our study area, while off-road cameras were restricted to relatively lower elevations in forested river valleys. Hebblewhite et al. (2014) found that all four prey species selected habitats with the same characteristics as these roads and trails where road cameras were placed. This makes sense as in winter 2019-20 in SABZ, low elevation areas had the quickest melting of snow and green-up, while during periods of snow in winters 2020-21 and 2021-22, prey species likely restricted their movements to lower elevations where there was less snow and wind and warmer temperatures. Some of our highest elevation random cameras had no detections of prey species. While many of our off-road cameras were placed on steep slopes, they still were not far from valley bottoms and therefore likely had higher capture probabilities than high-
elevation random cameras. One possible solution would be to stratify the study area by elevation class and extend the 150 m distance for certain off-road cameras such that all elevation classes are adequately represented. However, this would also require more effort in planning and on the part of field staff, and reaching those high-elevation locations are the most time-consuming, tiresome, and dangerous.

Differences in detection rates between cameras are the main source of variance in unmarked density estimators (Palencia et al. 2021). This may be affected by differences in either actual local abundance or in animal movement patterns (Neilson et al. 2018, Broadley et al. 2019). The greater detections at road cameras compared to off-road and random cameras are likely a result of selection for roads, and greater movement speeds on roads. Animals from diverse taxonomic groups are known to behave differently on roads compared to off-road (e.g. Roever et al. 2010). At our study sites, prey species likely used roads to cover the study area more efficiently and to avoid areas of deep snow. We expect wild boar especially used roads to travel large distances while investigating pine nut and acorn mast crop quality, and this was reflected in the higher wild boar RAIs on roads compared to off-road in ULNP (Figure 2-3). In contrast, we do not think the differences between off-road and random cameras were due to micro-site characteristics of the cameras, but instead had to do with spatial and temporal variation in abundance (e.g. avoidance of high-elevation areas). This emphasizes the importance of tools like random sampling in unmarked estimators to ensure the study area is sufficiently represented.

While different movement behavior on roads may have influenced the differences in RAIs between random cameras and road cameras, our analysis of traffic effects on RAI estimates indicate that human activity also decreases detection rates. Both wild boar and red deer RAIs decreased on roads that had high levels of human use (Figure 2-4, Table 2-4), though our sample
size of roads with high levels of use was small. When interpreting detection data from cameras placed on roads, researchers should consider the level of human use on those roads, and how that can bias their population-level inferences from detection data.

5 | CONCLUSION

Many wildlife researchers and managers have wondered whether cameras placed on roads and trails can be used to estimate population size of unmarked animals. This is the case for many tiger conservationists, since they are already putting cameras on roads and trails to monitor tiger densities and obtain “by-catch” images of prey species in the process. Our results provide clear evidence that linear features like roads and trails bias detections of large ungulate prey species in the Russian Far East. What’s more, avoidance of human activity on those roads may confound truly lower abundance of prey. Camera-based methods to estimate densities of unmarked populations assume that (i) the area sampled by cameras does not affect animal movement, and (ii) that these collective viewshed areas are representative of the study area. Based on our results, road cameras violate both of these assumptions. If managers wish to implement these methods, they should not deploy cameras on roads. While we tested a more feasible deployment strategy with off-road cameras that likely met assumption i) above, RAIs from these off-road cameras were still higher than random RAIs. Random or other representative forms of sampling remain essential to the implementation of these camera-based estimators. We strongly recommend wildlife researchers account for this when planning studies of unmarked wildlife population.

6 | LITERATURE CITED


Table 2-1. Summary of the seasons and number of cameras (N) for the comparison of RAIs between road, off-road, and random cameras. The dates of the years are as follows: 2019-20 (February 10 – April 10, 2020); 2020-21 (October 10 – December 10, 2020); 2020-21 (TBD). For the road and off-road cameras, the left value describes the number of cameras used in the road-off-road comparison as opposed to the southern study area comparison only on the right. For instance, “31 | 14” indicates that 31 road cameras were used for the road / off-road comparison, but only 14 road cameras were used in the road / off-road / random comparison.

<table>
<thead>
<tr>
<th>Study area</th>
<th>Year</th>
<th>N road</th>
<th>N off-road</th>
<th>N random</th>
</tr>
</thead>
<tbody>
<tr>
<td>SABZ</td>
<td>2019-20</td>
<td>0</td>
<td>31</td>
<td>14</td>
</tr>
<tr>
<td>SABZ</td>
<td>2020-21</td>
<td>31</td>
<td>14</td>
<td>31</td>
</tr>
<tr>
<td>UL Nat'l Park</td>
<td>2020-21</td>
<td>19</td>
<td>19</td>
<td>NA</td>
</tr>
<tr>
<td>Sidatun</td>
<td>2021-22</td>
<td>30</td>
<td>30</td>
<td>NA</td>
</tr>
<tr>
<td><strong>Confirmed total:</strong></td>
<td></td>
<td>**80</td>
<td>14**</td>
<td>**111</td>
</tr>
</tbody>
</table>
Figure 1. Study sites within Central Sikhote-Alin, Russian Far East. Sikhote-Alin Biosphere Zapovednik (SABZ) and Udege Legend National Park (ULNP) are both protected areas and are colored yellow. Sidatun Hunting Lease (Sidatun) is represented in blue. Road and off-road cameras are in triangle shape, while random cameras are circles. Note that the locations between Seasons 1, 2, and 3 for random and off-road cameras varied. Here we have combined road and off-road locations and presented only random locations from Season 3 for simplicity.
Figure 2-2. Comparisons of relative abundance indices (RAIs) for road and off-road cameras compared to random cameras. RAIs are the median of an exponential distribution fitted to camera-specific RAIs using maximum likelihood estimation. Error boars indicate standard error of the median RAI using 1001 iterations of nonparametric bootstrapping.
Figure 2-3. Comparisons of relative abundance indices (RAIs) between road and off-road cameras for 3 seasons in Sikhote-Alin Zapovednik (SABZ), as well as the Sidatun hunting lease and Udege Legend National Park (UL). RAIs are the median of an exponential distribution fitted to camera-specific RAIs using maximum likelihood estimation. Error bars indicate standard error of the median RAI using 1001 iterations of nonparametric bootstrapping.
Table 2-2. Summary results from the linear mixed-effects model testing for significant differences in bootstrapped RAI between random (the intercept, $\beta_0$, in the regression model), road, and off-road cameras deployed in a southern study area in the Sikhote-Alin Biosphere Zapovednik. We used a random intercept for year to account for differences in RAI for a given species between years. Asterisks indicate a significance level of $p < 0.05$.

<table>
<thead>
<tr>
<th>Model formula</th>
<th>Species</th>
<th>Parameter</th>
<th>Estimate</th>
<th>SE</th>
<th>$p$</th>
</tr>
</thead>
<tbody>
<tr>
<td>$RAI \sim deployment + (1 \mid year)$</td>
<td>Wild boar</td>
<td>Random ($\beta_0$)</td>
<td>6.70</td>
<td>7.02</td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td>Road</td>
<td>2.12</td>
<td>0.07</td>
<td>$p &lt; 0.001^*$</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Off-road</td>
<td>0.92</td>
<td>0.05</td>
<td>$p &lt; 0.001^*$</td>
</tr>
<tr>
<td></td>
<td>Red deer</td>
<td>Random ($\beta_0$)</td>
<td>5.77</td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td>Road</td>
<td>1.30</td>
<td>0.09</td>
<td>$p &lt; 0.001^*$</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Off-road</td>
<td>-0.00</td>
<td>0.07</td>
<td>$p = 0.99$</td>
</tr>
<tr>
<td></td>
<td>Roe deer</td>
<td>Random ($\beta_0$)</td>
<td>0.87</td>
<td>1.13</td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td>Road</td>
<td>1.66</td>
<td>0.07</td>
<td>$p &lt; 0.001^*$</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Off-road</td>
<td>1.79</td>
<td>0.05</td>
<td>$P &lt; 0.001^*$</td>
</tr>
<tr>
<td></td>
<td>Sika deer</td>
<td>Random ($\beta_0$)</td>
<td>2.84</td>
<td>4.06</td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td>Road</td>
<td>6.49</td>
<td>0.16</td>
<td>$P &lt; 0.001^*$</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Off-road</td>
<td>6.84</td>
<td>0.12</td>
<td>$P &lt; 0.001^*$</td>
</tr>
</tbody>
</table>
Table 2-3. Summary results from the linear mixed-effects model testing for significant differences in bootstrapped RAI s between off-road (the intercept, $\beta_0$, in the regression model), and road cameras deployed during two different years in eastern Sikhote-Alin Zapovednik, and one year each in Sidatun hunting lease and Udege Legend National Park. We used a random intercept for study area to account for differences in RAI s between study areas. Asterisks indicate a significance level of $p < 0.05$.

<table>
<thead>
<tr>
<th>Model formula</th>
<th>Species</th>
<th>Parameter</th>
<th>Estimate</th>
<th>SE</th>
<th>$p$</th>
</tr>
</thead>
<tbody>
<tr>
<td>$\text{RAI} \sim \text{deployment} + (1</td>
<td>\text{study area})$</td>
<td>Wild boar</td>
<td>Off-road ($\beta_0$)</td>
<td>1.17</td>
<td>0.59</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Road</td>
<td>1.22</td>
<td>0.02</td>
<td>$p &lt; 0.001^*$</td>
</tr>
<tr>
<td></td>
<td>Red deer</td>
<td>Off-road ($\beta_0$)</td>
<td>3.19</td>
<td>1.72</td>
<td>$p &lt; 0.001^*$</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Road</td>
<td>2.03</td>
<td>0.04</td>
<td></td>
</tr>
<tr>
<td></td>
<td>Roe deer</td>
<td>Off-road ($\beta_0$)</td>
<td>1.46</td>
<td>0.55</td>
<td>$p &lt; 0.001^*$</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Road</td>
<td>0.30</td>
<td>0.02</td>
<td></td>
</tr>
<tr>
<td></td>
<td>Sika deer</td>
<td>Off-road ($\beta_0$)</td>
<td>1.42</td>
<td>0.14</td>
<td>$P &lt; 0.001^*$</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Road</td>
<td>3.85</td>
<td>0.09</td>
<td></td>
</tr>
</tbody>
</table>
Table 2-4. Results from categorical regression testing for a significant effect of high human traffic (>75 vehicles / 100 days) on prey RAIs. Regression results are reported for each prey species. We did not include sika deer because they are virtually absent from our two study areas of Sidatun hunting lease and Udege Legend National Park. We also included the effects on a combined prey index (the sum of individual prey RAIs). Asterisks indicate a significance level of \( p < 0.05 \).

<table>
<thead>
<tr>
<th>Model formula</th>
<th>Species</th>
<th>Parameter</th>
<th>Estimate</th>
<th>SE</th>
<th>( p )</th>
</tr>
</thead>
<tbody>
<tr>
<td>( RAI \sim traffic_binary )</td>
<td>Wild boar</td>
<td>Low traffic ((\beta_0))</td>
<td>11.85</td>
<td>1.34</td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td>High traffic</td>
<td>-5.24</td>
<td>4.43</td>
<td>( p = 0.24 )</td>
</tr>
<tr>
<td></td>
<td>Red deer</td>
<td>Low traffic ((\beta_0))</td>
<td>10.19</td>
<td>0.72</td>
<td>( p = 0.02^* )</td>
</tr>
<tr>
<td></td>
<td></td>
<td>High traffic</td>
<td>-5.66</td>
<td>2.36</td>
<td></td>
</tr>
<tr>
<td></td>
<td>Roe deer</td>
<td>Low traffic ((\beta_0))</td>
<td>2.74</td>
<td>0.25</td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td>High traffic</td>
<td>1.37</td>
<td>0.83</td>
<td>( p = 0.10 )</td>
</tr>
<tr>
<td></td>
<td>Combined prey</td>
<td>Low traffic ((\beta_0))</td>
<td>26.32</td>
<td>1.74</td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td>High traffic</td>
<td>-10.67</td>
<td>5.76</td>
<td>( p = 0.06 )</td>
</tr>
</tbody>
</table>
Figure 2-4. (a) Scatter plot showing the relationship between the combined human traffic index at road cameras, and a combined prey index (the sum of all prey species’ RAIs). Data are combined from 295 camera locations across 3 years and 4 study areas (Sikhote-Alin Biosphere Zapovednik, Udege Legend National Park, Sidatun hunting lease, and Terney hunting lease, east of Sikhote-Alin Zapovednik). The dashed line indicates the traffic index (75) which divided our categories of traffic as low (≤ 75 vehicles / 100 days) or high (> 75 vehicles / 100 days). (b) Box plots showing the distribution of combined prey RAIs at roads categorized as having either low or high human traffic.